

DATA HIDING IN COMMUNICATION**BACKGROUND AND SUMMARY OF THE INVENTION**

The present invention relates generally to data communication. More
5 particularly, the invention relates to a technique for data recovery and error
concealment using data hiding.

It is well known that media data can be vulnerable to channel errors, to
different degrees, when they are transmitted through an imperfect communication
channel, especially when the data is compressed. That is, during transmission,
10 sometimes chunks of data are lost through transmission error.

Conventional methods often rely on the relationship between the corrupted
data block and neighborhood blocks to conceal the error effect. This is done at
the receiver end, where the values of missing data are estimated using the
corrupted blocks neighborhood data values. One disadvantage of this method
15 lies in its incapability to comprehend the actual content of the lost data block,
especially when the lost data block size is relatively large or continuous, or when
a perceptible quality, such as the luminance distance, between the lost data block
and its neighbor blocks is large. In this scenario, perceptible artifacts can often be
detected after the recovery.

20 If, however, some amount of knowledge of the lost block content is given,
the data restoration may give better results. Knowledge of the average luminance
and the motion vector of a video data block, for example, would make data
restoration of a video stream more successful.

The present invention provides a system and method that uses data hiding
25 techniques to recover or repair the missing or damaged data chunks, such as the

Figure 5a-5c is a flow diagram illustrating one technique for circular insertion using a largest distance strategy;

Figure 6 is a flow diagram illustrating a second circular insertion strategy;

Figure 7 is a flowchart diagram illustrating the general embedding procedure with block classification;

Figure 8 is a flow diagram illustrating the technique for refining recovery results using multi-directional error concealment.

DETAILED DESCRIPTION OF THE PREFERRED EMBODIMENTS

10 **Methodology:**

The invention may be used for communication of a wide variety of different data types, including but not limited to, video data, audio data, image data, multimedia data, and the like. The present description will focus on exemplified methods for image and video data recovery, where a content representative signature is extracted, embedded, and used to recover the lost data blocks via a block-based circular embedding data hiding scheme. Other data hiding schemes are also possible. For ease of presentation, the invention will be described here using image data.

Figure 2 shows a general architecture of a presently preferred embodiment of a data recovery system based on the invention. The host medium data **10** is first cut or partitioned **12** into blocks. In the case of JPEG image, an 8x8 block-based DCT transformation (Discrete Cosine Transform) may be used. This establishes the data hiding unit as an 8x8 image block. The encoding, i.e., data hiding, is preferably done after JPEG compression to ensure low probability of error. Each 8x8 content block is assigned **14** a designated masking block with

which its signature is hidden into. Then a content-associative signature of each 8x8 block is generated using a public signature **16**, such as a Q-signature (defined below) and that signature (call it S_A) is hidden or embedded **18** into its masking block .

At the receiver end, when part or all of a content (call it block **A**) is missing, the decoder detects the error **20** first and then finds **A**'s masking block (call it block **B**) to extract **A**'s content signature **22**. The decoder locates the masking block based on a *priori* knowledge of the scheme by which masking blocks are assigned by the encoder. Then, the content signature S_A along with **A**'s neighborhood blocks are used **24** to recover block **A**. In the following, block **A** is referred as the host block of block **B** and block **B** is called masking block of block **A**. Notice that it is only necessary to extract the missing block signature. This design can also facilitate progressive image display in Internet application and other applications.

1. Signature

Image compression suggests that an image can be compressed with the visual quality of it being kept by discarding the small high frequency coefficients. This means by throwing away the least significant coefficients, the visual appearance of an image does not change significantly, i.e., the overall structure of the visual content is kept in the significant coefficients. Based on this observation, a Q-signature and our embedding strategy for image data recovery are designed.

Let $I_n, n \in [0, N]$ represents the n th block of image I . To define the Q-signature, 1: Discrete Wavelet Transformation (DWT) is first performed on each

data hiding unit, i.e., each 8x8 block. Denote $\tilde{I}_n(x, y)$ to be the intensity of (x, y) th coefficient of block I_n . Here, $x \in [1, 8]$, and $y \in [1, 8]$. The *Q-signature* of each 8x8

$$S_A(n) = (\delta(\tilde{I}_n(x, y)))$$

$$= \begin{pmatrix} \delta(\tilde{I}_n(0,0)) & \delta(\tilde{I}_n(1,0)) & \dots \\ \delta(\tilde{I}_n(0,1)) & \ddots & \\ \vdots & & \ddots \end{pmatrix}$$

block is thus defined as:

5 where

$$\delta(\tilde{I}(x, y)) = m, \text{ and } \varepsilon_{m-1} < \tilde{I}(x, y) \leq \varepsilon_m, \text{ and } m = 0, 1, 2, \dots$$

In a simple system, $m \in [0, 3]$, i.e., with 4 quantization steps. ε_{m-1} and ε_m are quantization steps. In a more elegant design, ε_{m-1} and ε_m can be defined adaptively to the neighborhood value. Notice here

$\tilde{I}(x, y)$

10 can be single channel or multi-channel intensity function. Here, it is not necessary to use DWT and DWT only. Different transformation may be used to best suit different applications. For example, in the case of JPEG image, directly extract *Q-signature* from the quantized DCT coefficients can be more efficient.

15 2. Embedding

The loss of data is often random. To efficiently recover the randomly lost

data block, it is best to spread the content-representative hidden data as much as possible to avoid collision error, i.e., to avoid the possibility of both the original data block and its corresponding signature being lost in transmission. From this viewpoint, block-based data hiding is more suitable than global data hiding for the media data recovery application. This is because the loss of data is random. Global data hiding has a high probability to have both the original data block and the signature information lost in transmission compared to block-based data hiding. If both the original data block and its signature are lost, the advantage of using data hiding to provide knowledge of original content for data recovery is gone. On the other hand, the probability of data loss varies, depending on the condition of the transmission channel. To generalize the system design, when the transmission channel is not fixed or the condition of the channel is unknown, we can assume that every block of data has a probability of data loss. For simplicity of presentation, we will assume this case in the following discussion. Notice though, when the condition of the transmission channel is known, the design should be tuned to the channel error model for best performance. Since in our generalized system we consider every block of data in the entire image has a probability of data loss, each block of data needs a content-representative signature for best data recovery performance. This indicates a data hiding ratio of 1:1, i.e., the information of each 8x8 block data is hidden into one other 8x8 block data. However, the data hiding capacity of image is typically far less than 1. In other words, the hidden data bit number should be much smaller than the original host data stream bit number. To ensure imperceptibility, therefore, the ratio of hidden data bit number over host data bit number is preferably much less than 1. That is, the signature data stream should be appreciably less than the host data

stream in length. Since the large low frequency coefficients are indicative of the overall content of each block, i.e., are most important in restoring the lost data block, in the presently preferred embodiment we select only to use the low frequency coefficients and the first several largest coefficients in the mid- and high bands to construct the signature. The embedding strategy is depicted in Figure 3.

Referring to Figure 3, the signature of block **A** is first generated as described at step 26. One presently preferred technique is to use the lower order or lowband coefficients (the unshaded region 40 in Fig. 4) to develop the signature of block **A**. The signature can be constructed in any convenient fashion from the extracted data. A presently preferred technique is to concatenate the extracted signature data to define a sequence or string of bits.

The masking block **B** of block **A** is then identified and the signature is inserted into the least significant bits of block **B** as illustrated at step 28 and subsequent sub-steps 30-34. Although there are many data hiding techniques that may be used for this purpose, the illustrated technique inserts bits of the signature into the masking block using a predetermined scanning pattern. The zig-zag scanning pattern illustrated in Figure 4 is one possible scanning pattern. As illustrated at 30 (Fig. 3), the signature bits may be inserted into the least significant bits of the masking block **B**. Using the predetermined scanning pattern, beginning bottom up, bits of the signature are overwritten into the least significant bits of the masking block. Thus, if the first bit of the signature of block **A** is 1, a 1 is written in block **B**. If the first bit of the signature of block **A** is a 0, a 0 is written in block **B**. This is illustrated at sub-step 32. The embedding operation proceeds in bottom up, zig-zag scan order as illustrated at sub-step 34; that is,

embed 1 in the least significant bit if the next signature bit is 1, otherwise embed 0.

In the presently preferred system, only 2 bits are needed for each low band coefficient: $11 \rightarrow \delta=3$, $10 \rightarrow \delta=2$, $01 \rightarrow \delta=1$, $00 \rightarrow \delta=0$, and 6 bits are needed for the position of each large mid- or high band coefficient. Notice that in the presently preferred embodiment, we only used the position of the large mid- and high bands coefficients, for the reasons explained above. In this case, the recovery is done based on both the position of the large coefficient and corresponding large coefficients value of the neighborhood blocks. In a more elegant design, one might embed the value of the large coefficient and its position into the masking block. This will save the time on estimating the large coefficient value using neighborhood information. Though, it needs larger data hiding capacity to hide the same number of coefficients. When the signature is directly embedded in the transformed domain, slight modification on the embedding strategy maybe needed. For instance, in the case of JPEG image, a more suitable way is to embed the signature of block A, S_A , into the quantized DCT coefficients of block B. In this case, it is more efficient to embed S_A into the mid-bands coefficients of block B in terms of minimizing bit rate and high frequency noise.

3. *Decoding*

Decoding can be similarly done. Since the signature, i.e., the embedded hidden data is public, extraction can be done without the knowledge of

the original host image.⁶ Recovery of lost block 7: **A** is done with the decoded signature as the block **A** coefficients, in the case of JPEG image, as the block **A** DCT coefficients. If block **A** is only partially lost, the transmitted partial information can be used to attenuate the coefficients to better approximate the true value. The coefficient values can also be further tuned with conventional neighborhood estimation. Further discussion on how to well utilize the conventional neighborhood estimation, such as multi-directional error concealment, is given below. In addition, if desired, a smoothing operation may be performed around the boundary of the corrupted blocks to smooth out edgy effects.

As discussed above, one goal of the preferred embodiment is to avoid the situation where both the host block **A** and the masking block **B** are lost. In general, the further apart **A** and **B** are, the less likely they will be lost at the same time. Therefore one preferred embodiment uses a largest distance strategy to assign masking blocks. Notice that, if **B** is the best position for block **A**, **A** might also be the best position for block **B**. Figure 5(a) illustrates such a scenario. It is easy to see, if we embed **A**'s signature in **B** and vice versa, the probability of recovery is low when both block **A** and **B** are lost. Therefore a shifted strategy may be adopted. Figure 5(b) shows one possible solution of such a design, namely a cross iterative or circular insertion strategy. Figure 5(c) future illustrates a circular insertion design when there is a high occurrence of missing scan lines, such as strip **50** that was shown in Figure 1. Figure 6 shows a circular embedding process in greater detail. The original image **52** is processed by generating a

⁶ Considering our application in this study, where the original host media is not accessible at the receiver end when data recovery is conducted, public hidden data (i.e., public mark) has to be adopted.

signature for each 8x8 block (step **54**). The circular embedding algorithm **56** associates the signature-supplying block with a masking block according to a predetermined circular pattern, such as illustrated at **58**. The circular strategy makes each block both the source of signature information and the recipient of signature information. More specifically, each block provides signature information to and receives signature information from a linked list of blocks containing at least one other block.

An alternative way to assign masking blocks for optimum probability to recover missing data is to randomly shuffle the image in block unit and then employ the embedding scheme proposed above. For a suitable random shuffling routine, see, King Ip Chan, Jianhua Lu, and Justin C.-I. Chuang, "Block Shuffling and Adaptive Interleaving for Still Image Transmission over Rayleigh Fading Channels", IEEE Transaction on Vehicular Technology, pp. 1022-1011, vol. 48, NO. 3, May. 1999.

5.1 Nonlinear embedding

Generally speaking, a smoother region (host block **A**) does not have any large coefficient in its mid- and high frequency bands. It thus needs fewer bits in its content representative signature, i.e., it requires less capacity in its corresponding masking block **B**. On the other hand, a coarser host block **A'**, such as a texture block or edgy block, often has large coefficients in its mid- and high band coefficients. Therefore, it requires more data hiding capacity in its corresponding masking block compared to the smoother block **A**. Fortunately, as we have discovered, a coarser block often provides higher data hiding capacity than a smoother block. See, M. Wu, H. Yu, A. Gelman, 'Multi-level data hiding for

digital image and video', in Proceedings, SPIE99, Sept., 1999.

Because the embedding capacity of each block typically varies if perceptual model is taken into consideration, this indicates a nonlinear embedding strategy may be employed. Such nonlinear strategy would provide enough capacity to embed maximum information for each block and at the same time not to degrade the perceptible quality of the data. To implement an nonlinear strategy the image blocks can be classified into different types. For instance, smooth block, texture block, and edgy block. Then, the signature of the host block can be embedded into a masking block of the same type, smooth-block-to-smooth-block, texture-block-to-texture-block, and edgy-block-to-edgy-block. Within each block type, a circular iterative insertion scheme or a random shuffling scheme can be adopted. Then the same embedding scheme as that was discussed above can be used. In this case though, it is preferred to have both the large coefficient position and value embedded in the masking block. We can also adaptively quantize the large coefficients into larger quantization steps for smoother blocks and smaller quantization steps for coarser blocks. A general nonlinear embedding procedure is illustrated in Figure 7. Generally, two to four block types will be enough. Referring to Figure 7, blocks are classified according to block type (step 60) and blocks of the same type are grouped together (step 62). For each group of blocks, the signature of each host block is embedded into the corresponding masking block (step 64). The embedding process may be performed as shown in Figure 3.

When decoding speed is not critical, a nonlinear embedding scheme can give a better capacity and perceptual quality tradeoff. Therefore, may give better data recovery result. However, it generally requires longer time to process than

the linear ones.

5.2 Data reconstruction

As we discussed in the above, the data recovery step of the decoding
5 process may be enhanced by subjecting the recovered data block to further
tuning using conventional neighborhood estimation schemes. Notice though,
decoding speed has to be taken into consideration when other forms of
(conventional) error concealment methods are utilized in addition.

To date, conventional neighborhood estimation is the most popular error
10 concealment method. It plays an important role in combating transmission errors.
Different algorithms have been studied. Among them, multidirectional
interpolation method provides good performance in terms of recovery quality.
See, W.Zeng and B. Liu, Geometric-structure-based Directional Filtering for Error
Concealment in ImageVideo Transmission, SPIE Wireless Data Transmission at
15 Information SystemsPhotonics East, 95, vol. 2601, pp. 145-156, Oct. 1995.

However, the computational complexity of that technique is high, making it
currently unsuitable for many real time applications. The key idea behind the
multidirectional interpolation technique is to find the edge directions of error
blocks and then to employ bilinear interpolation of neighborhood blocks along
20 edges. That is, the technique utilizes the edge information of the neighborhood
blocks to conceal the error block. The techniques of the present invention may be
used to significantly improve the computational performance of conventional
multidirectional interpolation. The improvement involves taking some amount of
the host block edge information, extracting it and embedding it as part of the host
25 block signature. This saves decoding time, since the decoder does not need to

compute the edge information of error blocks from their neighborhood blocks. In addition, placing this embedded information into the masking block yields far better recovery result than can be expected using conventional neighborhood estimation techniques. According to our experience, a 30% reduction in computation may be achieved in the conventional multidirectional interpolation algorithm by employing this technique.

To further illustrate the improvement, first, each host block *A* is categorized as a flat, strong edged, or textured block. Then, the edge direction of each edge block is classified into one of eight directions that equally divide a half circle. Four embedding bits are reserved for the host block edge information. We embed in the masking block *B* bit '0' to indicate flat or textured blocks, bit '1' (edge indication bit) to indicate strong edged block along with 3 bits to indicate edge direction of the host block. Notice that, this algorithm is especially appealing when nonlinear embedding is used. During the decoding process, the edge direction of the corrupted block is first extracted from its masking block, if the corrupted block is edge (i.e., if the edge indication bit is '1'.) Next, the conventional multidirectional interpolation method is employed. Details of the algorithm on how to use multidirectional interpolation for error concealment can be found in the W.Zeng and B. Liu reference cited above.

In view of the foregoing, it will be appreciated that the system and method of the invention provides a very robust way to recover lost data, or to mask the effects of lost data by taking advantage of information that may not be found in the data blocks surrounding the lost data block. The data structures herein described by which signature information from one block is stored in another block may be implemented in computer memory and may also be transmitted

over a communication channel by embedding in a carrier wave.

While the invention has been described in its presently preferred
embodiments, and with specific reference to an image data example, it will be
recognized that the invention is capable of being adapted to a wide variety of
5 situations. Accordingly the descriptions provided here are intended to teach the
principles of the invention and are not intended as limitations upon the scope of
the appended claims.